channel.

## Amendments to the Claims:

This listing of the claims will replace all prior versions, and listings, of claims in the application:

## Listing of Claims:

 (Currently Amended) A method for exchanging a secure cryptographic key for a quantum cryptography apparatus employing non-ideal elementary quantum systems, wherein

the apparatus comprises an emitter and a receiver, being connected by a quantum channel and a conventional communication channel,

the emitter encodes each bit at random onto a pair of non-orthogonal states belonging to at least two suitable sets,

there is not a single quantum operation reducing the overlap of the quantum states of all sets simultaneously,

the emitter sends the encoded bit along the quantum channel to the receiver,
the receiver randomly chooses an analysis measurement within said suitable sets,
the emitter sends a set information along the conventional communication

the receiver discards all received encoded bits for which it has chosen a different analysis measurement incompatible with the set they belonged to and sends an appropriate information to the emitter along the conventional communication channel.

- (Original) The method according to claim 1, wherein in the step of the
  emitter sending an encoded bit along the quantum channel to the receiver weak coherent states
  are exchanged between the emitter and the receiver.
- (Previously Presented) The method according to claim 2, wherein the
  weak coherent states are laser pulses with an average photon number per pulse of less than 0.5
  photons, preferably less than 0.1 photons.
- 4. (Previously Presented) The method according to claim 1, wherein the emitter is using two sets  $A = \{0_a\rangle, |1_a\rangle\}$  and  $B = \{0_b\rangle, |1_b\rangle\}$ , chosen such that  $|\langle 0_a|1_a\rangle| = \eta_a \neq 0$ ,  $|\langle 0_b|1_b\rangle| = \eta_b \neq 0$ , and wherein there is no single quantum operation reducing the overlap of the quantum states of all sets simultaneously, and

the receiver randomly chooses the analysis measurement between

$$F_{A} = \frac{1}{\sqrt{1+\eta}} \left( \!\!\left( + x \right) \!\! \left\langle \mathbf{l}_{a}^{\perp} \right| + \!\!\left| - x \right\rangle \!\! \left\langle \mathbf{0}_{a}^{\perp} \right| \right) \text{ and } F_{B} = \frac{1}{\sqrt{1+\eta}} \left( \!\!\left( + x \right) \!\! \left\langle \mathbf{l}_{b}^{\perp} \right| + \!\!\left| - x \right\rangle \!\! \left\langle \mathbf{0}_{b}^{\perp} \right| \right)$$

followed by a Von Neumann measurement distinguishing between  $|+x\rangle$  and  $|-x\rangle$ .

5. (Previously Presented) The method according to claim 1, wherein after a number of encoded bits has been transmitted, a protocol step is performed, within which emitter and receiver agree on a body of cryptographic key information that is shared between emitter and receiver, but secret from all other units that may be monitoring the quantum channel and the Appln. No. 10/534,901

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conventional communication channel, or else conclude that the encoded bits can not be safely

used as cryptographic key information.

6. (Previously Presented) A method for exchanging a secure cryptographic

key for a quantum cryptography system employing non-ideal elementary quantum states.

wherein

the apparatus comprises an emitter and a receiver, being connected by a quantum

channel,

the emitter encodes the key values on at least two sets of non-orthogonal quantum

states, wherein it is not possible to find a single quantum operation, whether probabilistic or not,

that reduces the overlap of the states of all sets simultaneously,

the emitter sends the encoded bit along the quantum channel to the receiver,

the receiver randomly chooses an analysis measurement within said suitable sets,

the emitter sends a set information to the receiver,

the receiver discards all received encoded bits for which it has chosen a different

analysis measurement incompatible with the set they belonged to and sends an appropriate

information to the emitter.

7. (Previously Presented) A quantum cryptography system employing non-

ideal elementary quantum states to exchange secure cryptographic key information and

comprising:

a source of non-ideal elementary quantum states,

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an emitter and a receiver, being connected by a quantum channel and a

conventional communication channel,

the emitter comprising or connected to a random number generator allowing to

prepare random non-orthogonal quantum states belonging to at least two suitable sets, wherein

there is no single quantum operation reducing the overlap of the quantum states of all sets

simultaneously.

the receiver comprising or connected to a random number generator allowing to

choose an analysis measurement for said quantum states,

the emitter being able to send an encoded bit along the quantum channel to the

receiver and being able to send a set information along the conventional communication channel,

the receiver being able to discard all received encoded bits for which it has chosen

a different analysis measurement and to send an appropriate information to the emitter along the

conventional communication channel.

8. (Previously Presented) The quantum cryptography system according to

claim 7, wherein said source is a laser source and the emitter comprises a preparation device

sending laser pulses with an average photon number per pulse of less than 0.5photons, preferably

less than 0.1 photons.

9. (Previously Presented) The quantum cryptography system according to

claim 7, wherein emitter and receiver both comprise processing units being able to perform, after

a number of encoded bits had been transmitted, a protocol step, within which emitter and

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receiver agree on a body of cryptographic key information that is shared between emitter and receiver, but secret from all other units that may be monitoring the quantum channel and the conventional communication channel, or else conclude that the encoded bits can not be safely used as cryptographic key information.

- 10. (Previously Presented) The method according to claim 1, wherein for each bit, the emitter is randomly using one of the four states  $|\pm x\rangle$  or  $|\pm y\rangle$  with the convention that  $|\pm x\rangle$  code for 0 and  $|\pm y\rangle$  code for 1, and sends it along the quantum channel to the receiver, the receiver randomly measures  $\sigma_x$  or  $\sigma_y$ , the emitter announces one of the four pairs of non-orthogonal states  $A_{\omega,\omega'} = \{\omega_x\rangle_i|\omega'_y\rangle\}$  with  $w,w'\in\{+,-\}$  and such that one of the states is the one which it has sent by sending an appropriate message along the conventional communication channel, the receiver discards all received encoded bits for which the measurement result it has obtained is possible for both states disclosed by the emitter and sends an appropriate information to the emitter along the conventional communication channel, the receiver deduces the state actually sent by the emitter and adds the corresponding bit to the key.
- 11. (Previously Presented) The quantum cryptography system according to claim 7, wherein the emitter is adapted to use two sets  $A = \{0_a\rangle, |1_a\rangle\}$  and  $B = \{0_b\rangle, |1_b\rangle\}$ , chosen such that  $|\langle 0_a|1_a\rangle| = \eta_a \neq 0$ ,  $|\langle 0_b|1_b\rangle| = \eta_b \neq 0$ , and wherein there is no single quantum

operation reducing the overlap of the quantum states of all sets simultaneously, and wherein the receiver is adapted to randomly chooses the analysis measurement between

$$F_{A} = \frac{1}{\sqrt{1+\eta}} \left( \!\!\left( + x \right) \!\! \left\langle 1_{a}^{\perp} \right| + \left| - x \right\rangle \!\! \left\langle 0_{a}^{\perp} \right| \right) \text{ and } F_{B} = \frac{1}{\sqrt{1+\eta}} \left( \!\!\left( + x \right) \!\! \left\langle 1_{b}^{\perp} \right| + \left| - x \right\rangle \!\! \left\langle 0_{b}^{\perp} \right| \right)$$

followed by a Von Neumann measurement distinguishing between  $|+x\rangle$  and  $|-x\rangle$ .

claim 7, wherein for each bit, the emitter is using the related random number generator for randomly using one of the four states  $|\pm x\rangle$  or  $|\pm y\rangle$  with the convention that  $|\pm x\rangle$  code for 0 and  $|\pm y\rangle$  code for 1, and the emitter is adapted to send it along the quantum channel to the receiver, wherein the receiver is using the related random number generator for randomly measuring  $\sigma_x$  or  $\sigma_y$ , wherein the emitter is adapted to generate a signal announcing one of the four pairs of non-orthogonal states  $A_{\omega,\omega'} = \{\omega_x\rangle, |\omega'_y\rangle\}$  with  $w,w' \in \{+,-\}$  and such that one of the states is the one which it has sent by sending an appropriate message along the conventional communication channel, wherein the receiver is adapted to discard all received encoded bits for which the measurement result it has obtained is possible for both states disclosed by the emitter and sends an appropriate information to the emitter along the conventional communication channel, wherein the receiver is adapted to deduce the state actually sent by the emitter and adds the corresponding bit to the key.

13. (Previously Presented) The quantum cryptography system according to claim 7, wherein the transmittal of an encoded bit along the quantum channel from the emitter to the receiver comprises an exchange of weak coherent states between the emitter and the receiver.